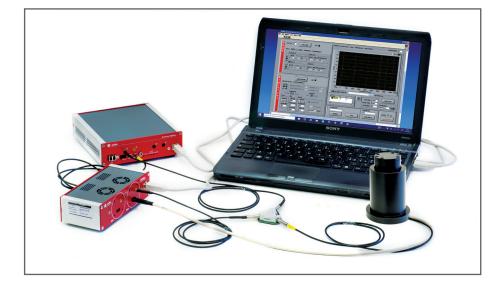
Poisson and Gaussian Distribution SG6112



Study the statistical distribution of the counting rates of a gamma

radioactive source. Comparison of the data to the Poisson distribution,

turning into a Gaussian as the mean number of counts grows. The study

can be performed both experimentally, with the SiPM kit or simulating it

The number of radioactive particles detected over a time Δt is expected to follow a

probability that n decays will occur over a given time period Δt is given by:

Poisson distribution with mean value μ . It means that for a given radioactive source, the

 $P_{\mu}(n) = \frac{\mu^n}{n!} e^{-\mu}$

 $P(n) = \frac{1}{\sqrt{2\pi\sigma}} e^{\frac{-(n-\mu)^2}{2\sigma^2}}$

Ordering Options

Equipment A	
Code	Description
WK5600XCAAAA	SP5600C - Educational Gamma Kit
or the all inclusive Premium Version	
WK5600XANAAA	SP5600AN - Educational Kit - Premium Version
Equipment B	
Code	Description
WK5600XEMUAA	SP5600EMU - Emulation Kit



In the English-language literature the t-distribution takes its name from William Sealy Gosset's 1908 paper in Biometrika under the pseudonym "Student ". Gosset worked at the Guinness Brewerv in Dublin, Ireland, and was interested in the problems of small samples - for example the chemical properties of barley where sample sizes might be as few as 3. One version of the origin of the pseudonym is that Gosset's employer preferred staff to use pen names when publishing scientific papers instead of their real name, so he used the name "Student " to hide his identity. Another version is that Guinness did not want their competitors to know that they were using the t-test to determine the quality of raw material. Gosset's paper refers to the distribution as the "frequency distribution of standard deviations of samples drawn from a normal population". It became wellknown through the work of Ronald Fisher, who called the distribution "Student's distribution" and represented the test value with the letter t.

https://en.wikipedia.org/wiki/ Student's t-distribution



The experiment can be performed by using to different set-ups:

EQUIPMENT A

SP5600C - Educational Gamma Kit

approximated by a Gaussian distribution:

Where $\sigma = \sqrt{\mu}$ is the standard deviation.

Purpose of the experiment

with the emulation kit.

Fundamentals



Where μ is proportional to the sample size and to the time Δt and inversely proportional to the half-life T1/2 of the unstable nucleus. As long as μ grows, the probability P μ (n) is well

Requirements

Gamma Radioactive Source 🚱

Carrying out the experiment

The selected scintillator crystal shall be coupled to the SiPM in the SP5607, through a thin layer of index matching grease to maximize the light collection. In order to avoid saturation, the output of the SiPM is divided using the A315 splitter: one branch is connected to the DT5720A and will be digitized. The other branch will be amplified by the SP5600 module, generating the trigger for the integration signal by the on-board leading edge discriminator or simply counting the pulses induced by the detected gamma ray. The discriminator threshold shall be defined looking at the spectrum and evaluating the dark count rate. Once this is properly set, the counting experiment shall be performed.



SP5600

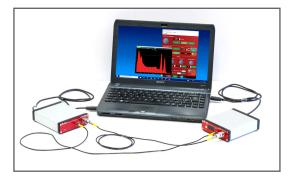
Digitize

Radioactive

γ source inside

Block diagram of the experimental setup that makes use of the "Educational Gamma Kit" .

EQUIPMENT B

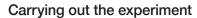


SP5600EMU - Emulation Kit



Requirements

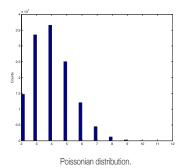
Gamma Radioactive Source is not needed

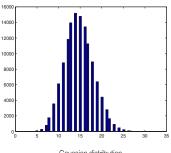


To perform the experiment connect the DT4800 output to the input channel of the MCA DT5770 and use the DT4800 GP0 as digitizer "trigger IN". The DT4800 Control Software Interface allows to generate exponential decay signals with programmable rise time and fall time and it is possible to emulate signals from a real energy spectrum linked to a radioactive source with variable activity.

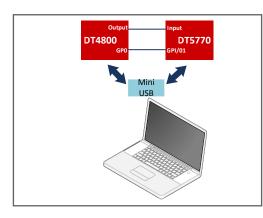
Results

Changing the counting window and/or the activity of the source or the threshold, the number of counts changes, with a probability density function moving form a Poissonian to a Gaussian shape. The student may play with the data, fitting them and comparing the expectations to the measurement.





Gaussian distribution.



Block diagram of the experimental setup that makes use of the "Emulation Kit" .